

Lecture Ch. 7a

- CAPE
- Stability
- Review of Ch.7 Concepts
 - “Homework” Ch. 7, Prob. 3 for discussion Monday
- Cloud Classification
- Precipitation Processes

Curry and Webster, Ch. 7, 8
For Wednesday: Read Ch. 8

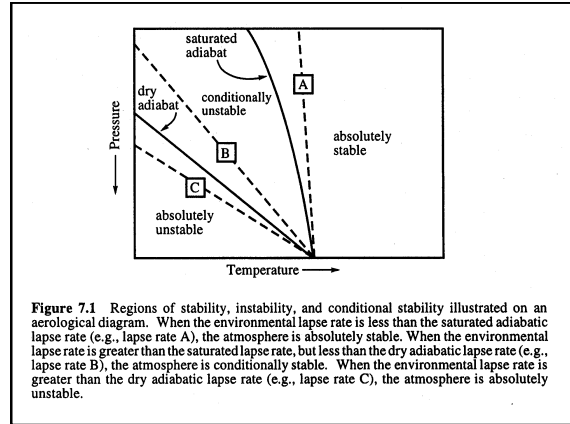


Figure 7.1 Regions of stability, instability, and conditional stability illustrated on an aerological diagram. When the environmental lapse rate is less than the saturated adiabatic lapse rate (e.g., lapse rate A), the atmosphere is absolutely stable. When the environmental lapse rate is greater than the saturated lapse rate, but less than the dry adiabatic lapse rate (e.g., lapse rate B), the atmosphere is conditionally stable. When the environmental lapse rate is greater than the dry adiabatic lapse rate (e.g., lapse rate C), the atmosphere is absolutely unstable.

Dry/Moist/Saturated

- Dry (RH=0%)
 - In practice, 0%<RH<100% (moist air) can sometimes be approximated as “dry”
- “Moist” (0%<RH<100%)
 - Example: saturated air with some dry air entrained into it (7.27)
- Saturated (RH≥100%)
 - Some liquid water is present
 - Approximate using “equivalent” or “liquid water” potential temperature

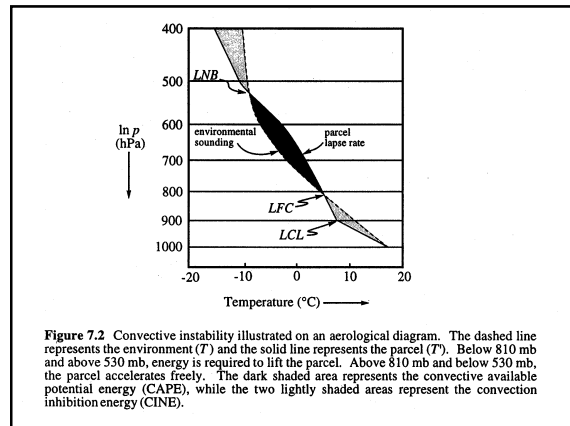


Figure 7.2 Convective instability illustrated on an aerological diagram. The dashed line represents the environment (T) and the solid line represents the parcel (T'). Below 810 mb and above 530 mb, energy is required to lift the parcel. Above 810 mb and below 530 mb, the parcel accelerates freely. The dark shaded area represents the convective available potential energy (CAPE), while the two lightly shaded areas represent the convection inhibition energy (CINE).

CAPE

The amount of energy available for the upward acceleration of a particular parcel is called the *convective available potential energy (CAPE)*. On a thermodynamic diagram whose area is proportional to energy (e.g., the emagram; see Section 6.8), CAPE is proportional to the area enclosed by the two curves that delineate the temperature of a parcel and its environment, as illustrated by the darker shaded region in Figure 7.2. The amount of CAPE of a parcel lifted from a height z (at or above the LFC) to the LNB is given by the vertical integral of the buoyancy force between these levels

$$CAPE(z) = \int_z^{LNB} g \frac{\rho - \rho'}{\rho} dz \quad (7.24)$$

where the units of CAPE are $J kg^{-1}$. If the environment is in hydrostatic equilibrium we can use (1.26) and (1.33) to obtain

$$CAPE(p) = \int_{p(LNB)}^{p(z)} R_d (T'_v - T_v) d(\ln p) \quad (7.25)$$

CAPE is defined only for parcels that are positively buoyant somewhere in the vertical profile. The term *convection inhibition energy (CINE)* is analogous to CAPE but refers to a negative area on the thermodynamic diagram.

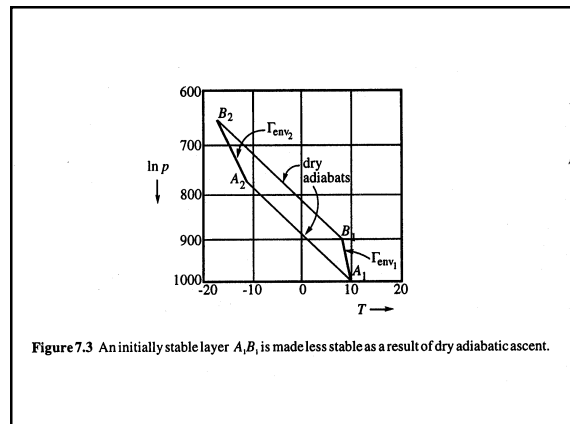
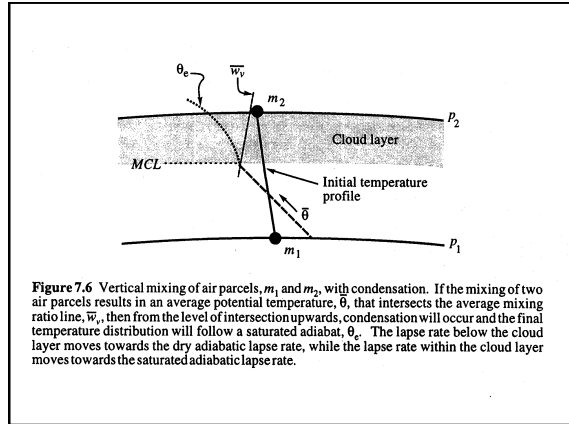
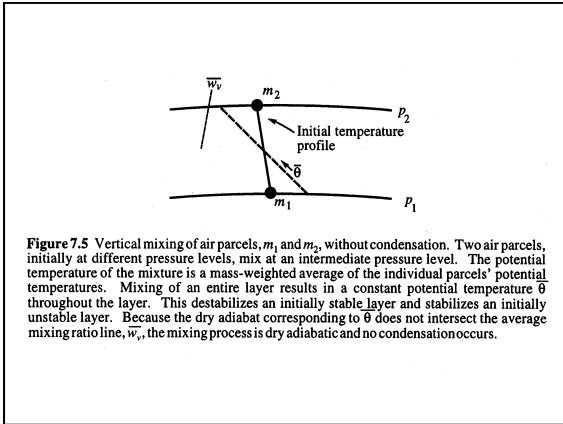


Figure 7.3 An initially stable layer A,B, is made less stable as a result of dry adiabatic ascent.



Lecture Ch. 7b

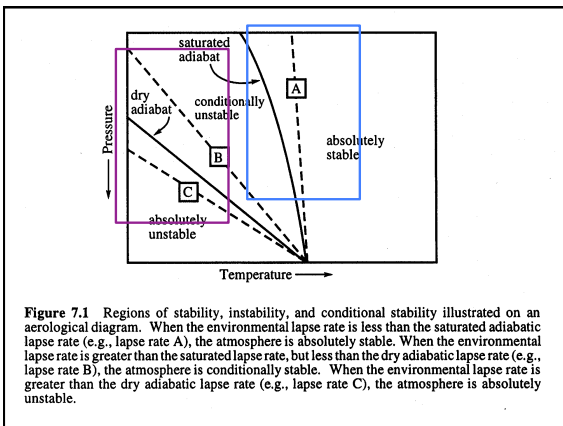
- Effects of Meteorology on Pollution
 - Stability (review)
 - Atmospheric structure (review)
 - Water vapor structure (review)
 - Inversions (review)

Curry and Webster, Ch. 7, 8
For Thursday: Ch. 12

Unsaturated Stability Criteria

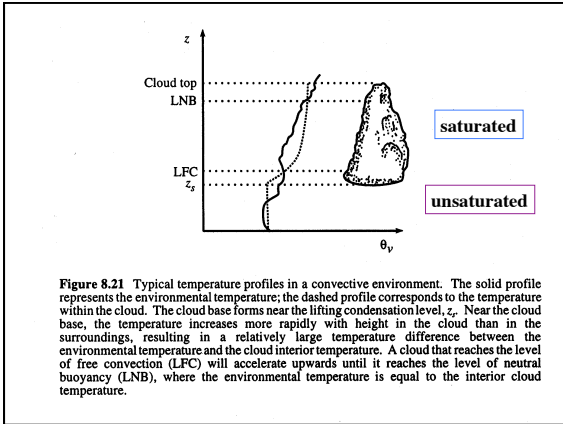
$$\frac{d\theta_v}{dz} > 0 \quad \text{or} \quad -\frac{dT_v}{dz} < \Gamma_d: \text{ stable}$$

$$\frac{d\theta_v}{dz} = 0 \quad \text{or} \quad -\frac{dT_v}{dz} = \Gamma_d: \text{ neutral} \quad (7.20)$$

$$\frac{d\theta_v}{dz} < 0 \quad \text{or} \quad -\frac{dT_v}{dz} > \Gamma_d: \text{ unstable}$$


Saturated Stability Criteria

- i) the saturated layer will be stable if $d\theta_e/dz > 0$;
- ii) the saturated layer will be neutral if $d\theta_e/dz = 0$;
- iii) the saturated layer will be unstable if $d\theta_e/dz < 0$.



Chapter 7, Prob. 3

3. Suppose that the environmental lapse rate is dry adiabatic, with a temperature of 280 K at 900 hPa, and a relative humidity of 50%. Consider a parcel of saturated air at 900 hPa at 280 K, initially at rest. If this parcel is given an upward displacement, it will be positively buoyant and will continue to ascend. Neglecting entrainment and aerodynamic resistance, calculate the parcel's upward velocity at 700 hPa, assuming the following:

- elementary parcel theory without including the virtual temperature correction;
- elementary parcel theory including the virtual temperature correction;
- parcel theory with a correction for the weight of condensed water, assuming full adiabatic water content.

$$CAPE(p) = \int_{p(LNB)}^{p(z)} R_d (T_r' - T_r) d(\ln p) \quad (7.25)$$

- Use a mean moist adiabatic lapse rate of 5.77K/km (valid for $p = 800$ hPa, $T = 276$ K; assume constant); dry adiabatic 9.77K/km (from <http://157.82.240.165/~naoki/comp/calc/index.html>)
 - a) use Eq. 7.25 with T to get $CAPE = 295.35$, assume $CAPE = KE$ (upper bound), $v = 24.3$ m/s.
 - b) use Eq. 7.25 with T_v to get $CAPE = 331.5$, $v = 25.8$ m/s.
 - c) use Fig. 6.5 to get $w = 1.3$ g/kg, then Eq. 7.22 to get $CAPE$, $ten = 24.6$ m/s.
- CAPE is an upper bound on the potential energy that can ever be converted into kinetic energy of a rising buoyant parcel.**

Lapse Rate

- Lapse Rate (Γ): helps to define the stability of the atmosphere.
- Degree of stability relates to the atmosphere's ability to disperse pollutants.
- Stability:
 - Superadiabatic (unstable)
 - $\Gamma_{env} > \Gamma_{ad}$
 - Subadiabatic (stable)
 - $\Gamma_{env} < \Gamma_{ad}$
 - Neutral
 - $\Gamma_{env} = \Gamma_{ad}$

Lifting Condensation Level

10.1

- Lifting condensation level varies with initial relative humidity and is a weak function of initial temperature

Seinfeld and Pandis, Fig. 15.1

Figure 6.3 Adiabatic isobaric mixing and condensation. Two air masses with (e, T) given by points Y_1 and Y_2 mix, resulting in a single air mass with (e, T) given by point Y . Since $\mathcal{H} > 1$ at this point, water will condense, and the temperature of the air mass will increase while the vapor pressure decreases. Condensation will continue until the temperature and vapor pressure of the air mass coincide with the saturation vapor pressure curve (point Y').

N.B. For mixture to be supersaturated, need two parcels very close to saturation at two somewhat different temperatures.

Figure 6.2 Dew-point depression. As the relative humidity increases, the difference between the ambient temperature and the dew-point temperature (i.e., the dew-point depression) decreases. As the ambient temperature decreases, the dew-point depression becomes less sensitive to changes in the relative humidity.